

Lessons on galaxy formation from weak gravitational lensing

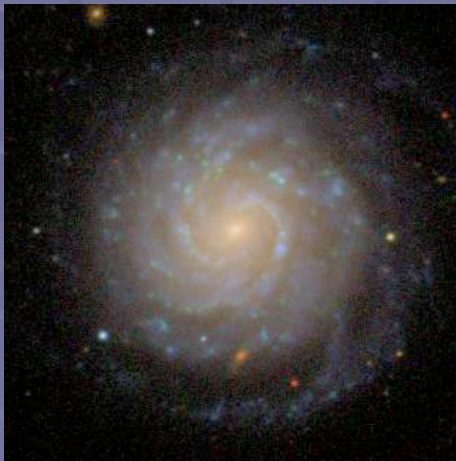
Rachel Mandelbaum

Hubble Fellowship Symposium, 2008

Questions in galaxy formation

- If we see a galaxy, at a variety of wavelengths...
 - What dark matter, if any, is associated with that galaxy? What is the relationship between the visible and the dark components?
- What about “special” galaxy types, such as active galactic nuclei?
- Relation to central black hole properties

How did these galaxies arise?



Pictures from Sloan Digital Sky Survey data release 6

The fundamental problem:

- Telescopes see baryons (galaxies)
- Baryon physics is imperfectly understood
- We need observations to refine models of the physics of galaxy formation/evolution.

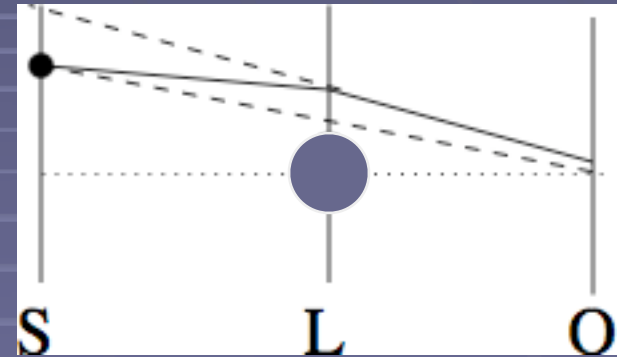
Conclusion: our toolbox needs some new tools!

Outline

- Motivation
- **Lensing introduction**
- Theoretical interpretation
- Application: halo mass and satellite fraction versus optical observables

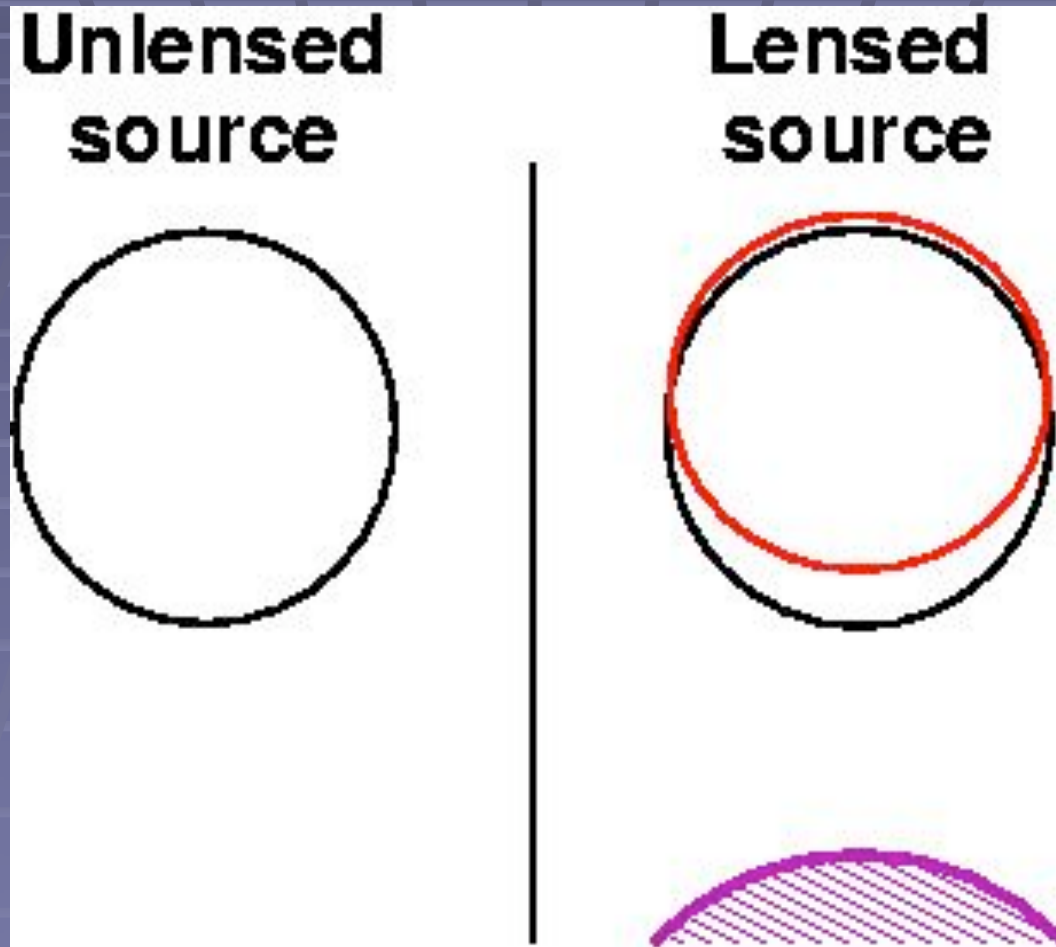
One (relatively) new tool...

- Gravitational lensing:
Sensitive to all matter
along line of sight,
including dark matter!



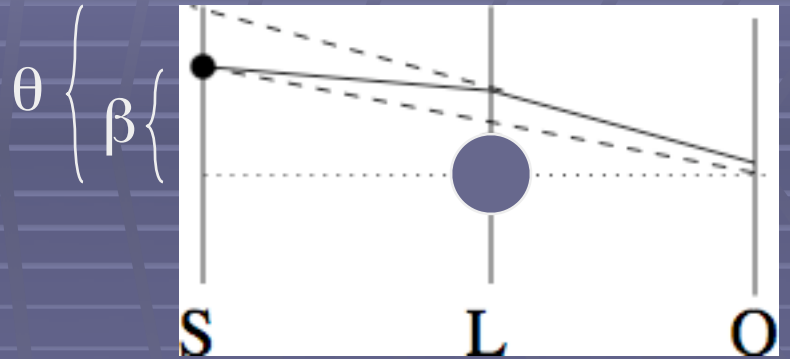
- Depends on projection along line of sight
- Weak: small effect, can be treated perturbatively

The (weak) lensing effect



Caution: magnification not depicted accurately!

The basics



- Source galaxy at β
- Observed image at θ
- Instead of $I(\beta)$, we see $I'[\theta(\beta)]$
- We care about the Jacobian:

$$\frac{\partial \vec{\beta}}{\partial \vec{\theta}} = \begin{pmatrix} 1 - \kappa - \gamma_1 & -\gamma_2 \\ -\gamma_2 & 1 - \kappa + \gamma_1 \end{pmatrix}$$

~~$\kappa = \text{convergence}; \quad \gamma = \text{shear}$~~

Definitions

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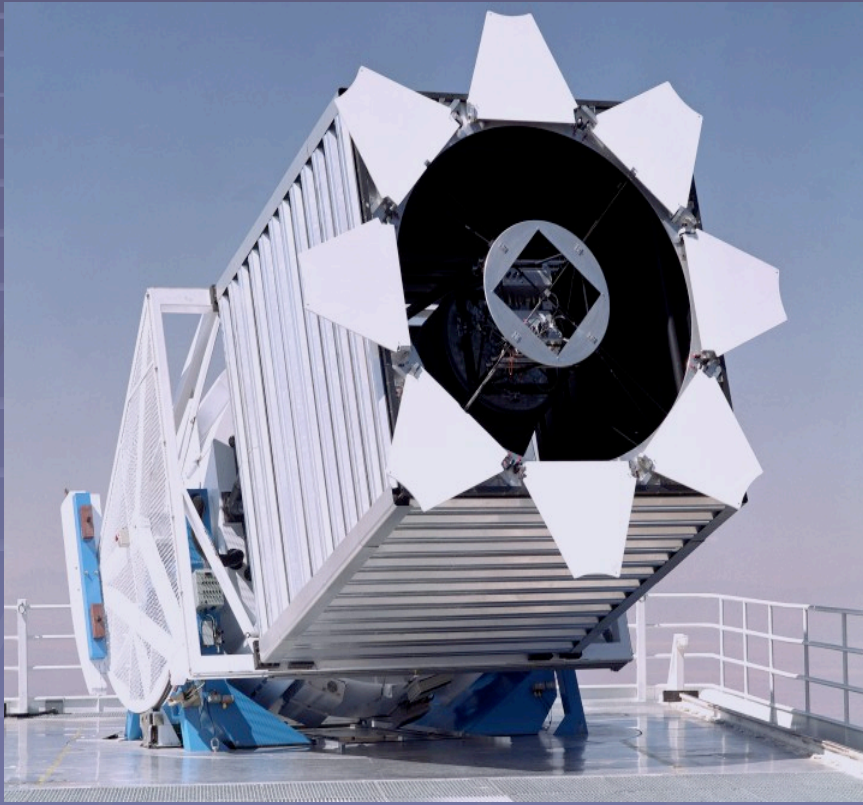
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γ = “shear”

$$\Sigma_c^{-1} = \left(\frac{4\pi G}{c^2} \right) \frac{D_L D_{LS} (1 + z_L)^2}{D_S} \quad (\text{comoving})$$

Sloan Digital Sky Survey (SDSS)



- Imaging, spectroscopy over $\sim 1/4$ of the sky
- Imaging in 5 passbands (ugriz)

(from <http://www.sdss.org/>)

Our approach: Reglens

- Lenses: SDSS spectroscopic sample
($\sim 4 \times 10^5$ galaxies, $\langle z \rangle \sim 0.1$)
- Sources: SDSS photometric galaxies
($\sim 3 \times 10^7$ galaxies, $\langle z \rangle \sim 0.4$)
- Statistics: Stack 3K-100K lenses
- Systematics: Random points, 45-degree, and ratio test

Pipeline developed with Uros Seljak, Christopher Hirata

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Extracting information from lensing

- Small scales (below r_{vir}): halo mass
- Intermediate scales (r_{vir} - cluster scales): group/cluster membership
- Large scales ($>\sim$ several Mpc): large-scales structure
- Typically determine simultaneously using halo model

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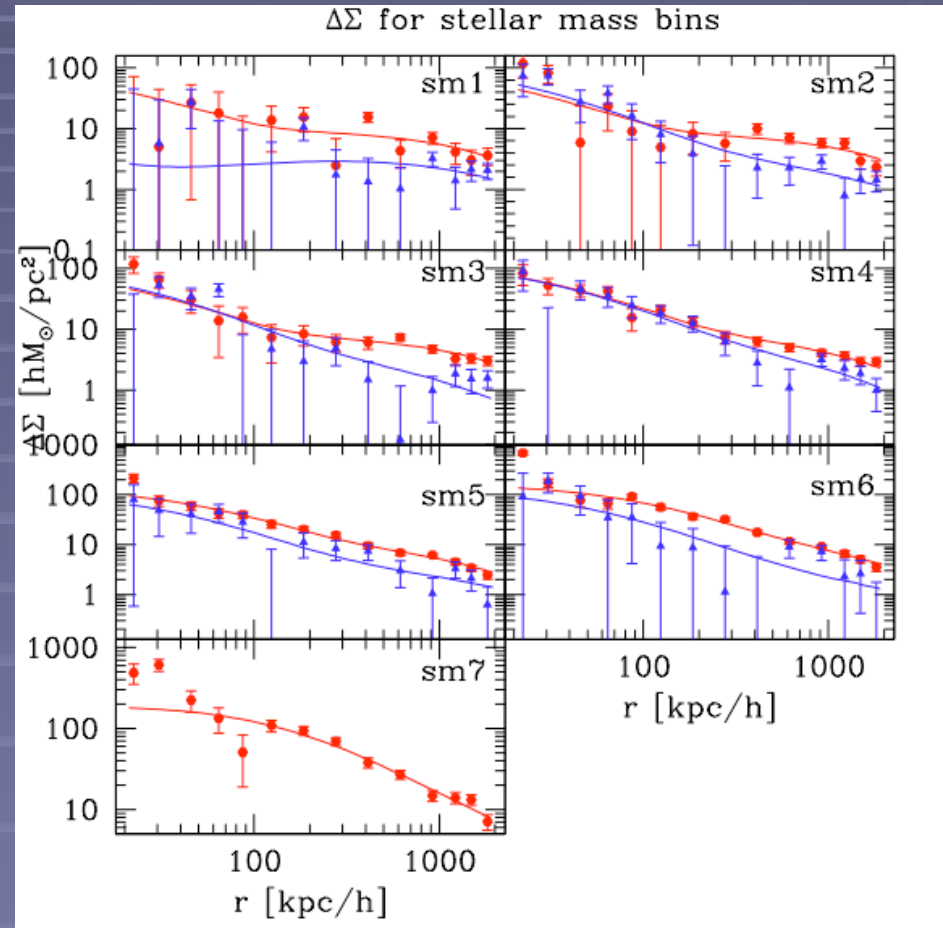
RM, Uros Seljak, Guinevere Kauffmann, Christopher Hirata,
et al. (2006) MNRAS 368, 715

Relating mass to light

- Questions: baryon conversion efficiency, satellite fractions
- Stellar masses (Kauffmann, et. al. 2003) tell us the mass in stars better than luminosities
- Lensing: relate (on average) to dark matter halo mass
- Can do as function of environment, age of stellar population

Results

- Lensing signal in stellar mass bins split by morphology
- Signal on small scales reflects halo mass
- Signal on large scales reflects fraction in group/cluster



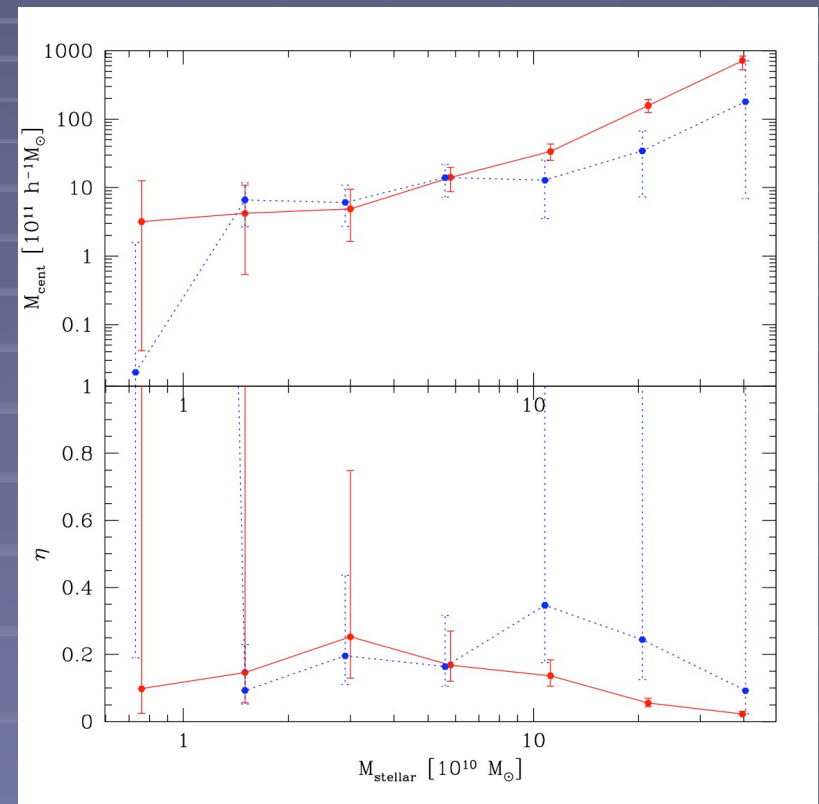
Plot from Mandelbaum et al.
2005, astro-ph/0511164

Results, cont.

(Errors: 95% CL)

- Stellar mass traces halo mass for $M_{\text{stellar}} < \sim 10^{11} M_{\text{sun}}$
- Baryon conversion efficiencies peak around 30-40%

$$\eta = \frac{M_{\text{stellar}}}{M_{\text{halo}} f_b}$$



Early types —————

Late types —————

Other g-g lensing measurements

- Hoekstra et al. 2005: isolated galaxies in RCS with photometry only; $\langle z \rangle \sim 0.3$, results for L^* galaxies consistent with SDSS
- Heymans et al. 2006: lensing data from GEMS, stellar masses from COMBO-17, $0.2 < z < 0.8$; little evolution in η , upper limits on growth via star formation

Radio-loud AGN

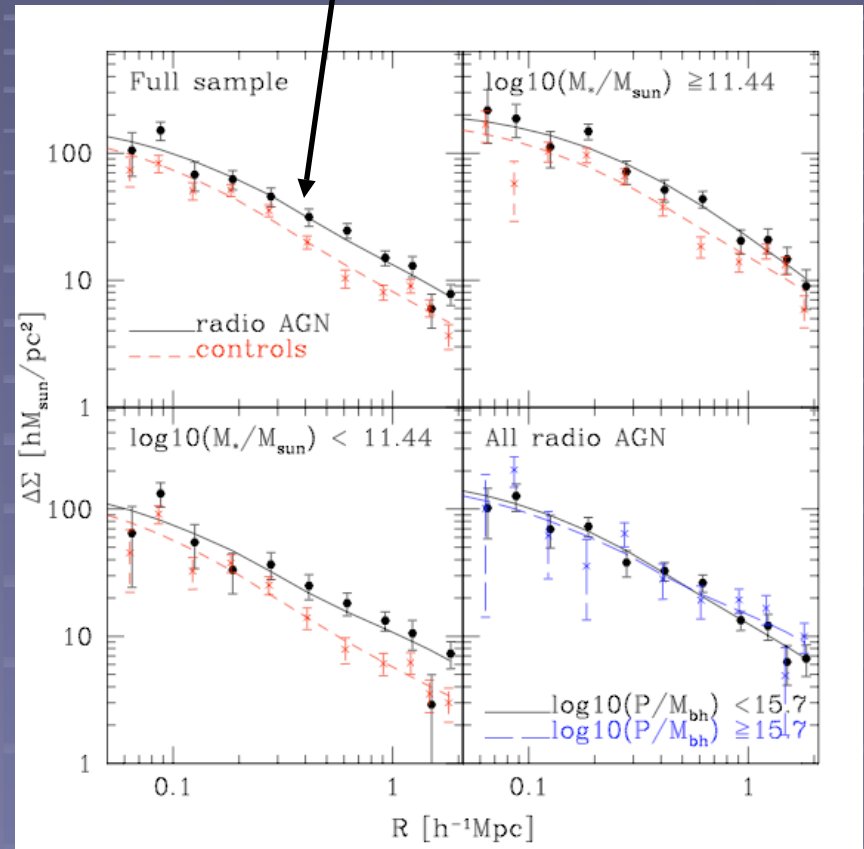
- Question: in what small- and large-scale environments do these galaxies live?
- Match SDSS Main (spectroscopic) sample against radio surveys: ~ 5500 with $0.1 < z < 0.3$ in SDSS DR4
- Usual tool for investigating AGN at low, high redshift: galaxy clustering (less direct way to measure halo masses)

**Ongoing work with Cheng Li,
Guinevere Kauffmann

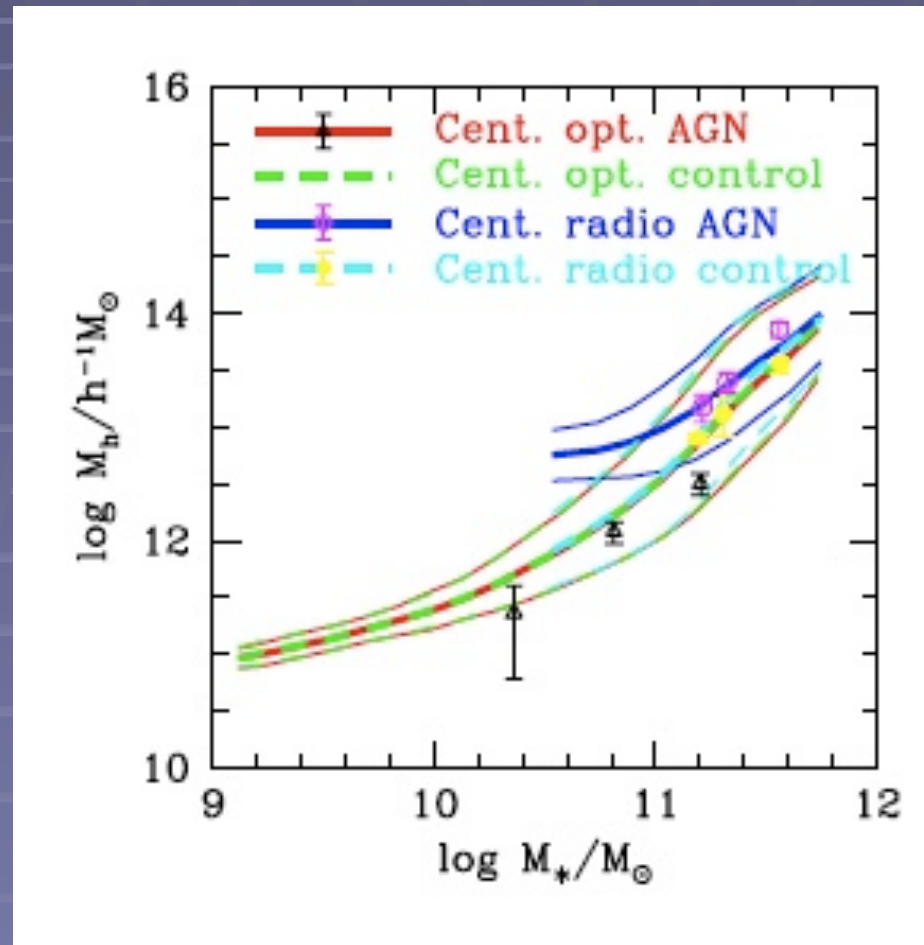
Radio-loud AGN

- Construct control samples (same z , M^* properties)
- Mean halo masses differ by factor of ~ 2
- Consistent with correlations
- Can be used in modeling their formation/evolution

$$M \sim (2.5 \pm 0.6) \times 10^{13} M_{\text{sun}}/h$$



Optical vs. radio AGN



Galaxy cluster observables

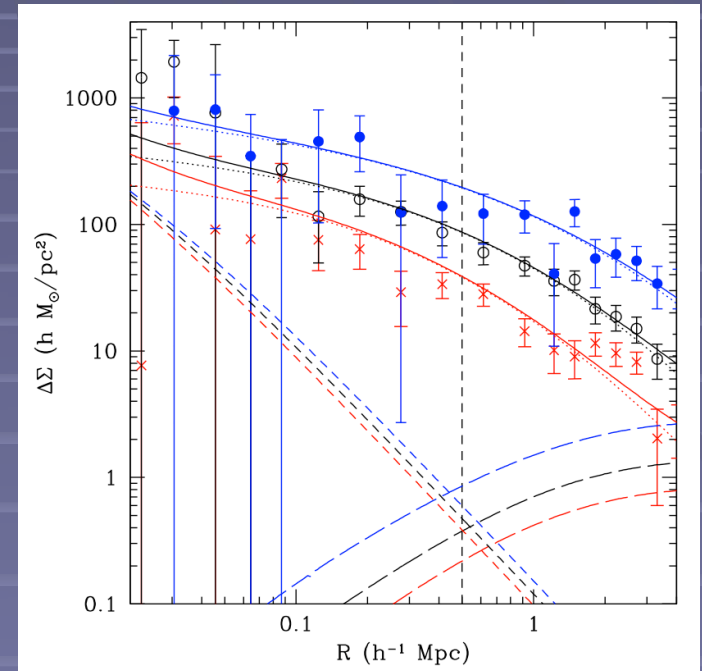
- Relate optical observables to cluster mass
- Understand cluster formation physics, dynamics, evolution
- Useful for cluster-count cosmology

Method

R. Reyes, RM, et al. (2008)

- ~13,000 clusters from the SDSS MaxBCG catalog, photometric $z = 0.1$ to 0.3 (Koester, et al. 2007)
- optical tracers: N_{200} , L_{200} , L_{BCG} and combinations $N_{200}^\alpha L_{BCG}^\gamma$, $L_{200}^\alpha L_{BCG}^\gamma$
- group clusters by tracer \rightarrow measure stacked WL signal \rightarrow determine best-fit M_{200}

$\Delta\Sigma$

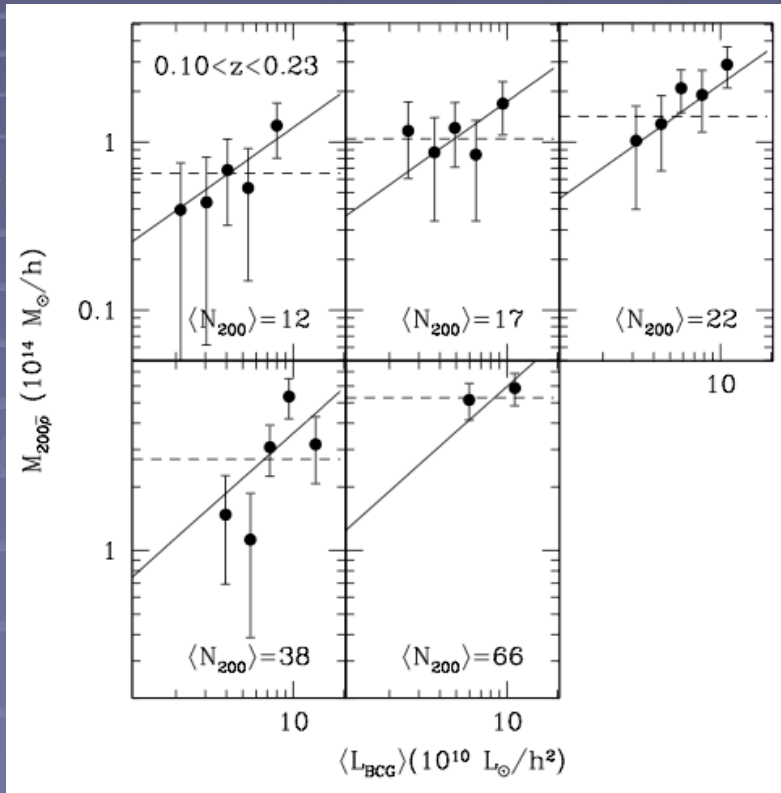


R

$$N_{200} = 10-11, 26-40, 71-190$$
$$M_{200} = 0.65 \pm 0.30, 2.48 \pm 0.57, 10.96 \pm 1.87 \times 10^{14} M_{\text{pc}}/h$$

Results

Cluster mass



BCG luminosity

- scaling with N_{200} , L_{200} , L_{BCG}
- residual scaling of cluster mass with L_{BCG} at fixed N_{200} / L_{200}

$$\gamma_N = 0.71 \pm 0.14 \quad (\sim 5\sigma, 0.10 < z < 0.23)$$

$$\gamma_N = 0.34 \pm 0.24 \quad (0.23 < z < 0.30)$$

$$\gamma_L = 0.40 \pm 0.23 \quad (\sim 2\sigma, 0.10 < z < 0.23)$$

$$\gamma_L = 0.26 \pm 0.41 \quad (0.23 < z < 0.30)$$

$$M_{14} = (1.27 \pm 0.08) \left(\frac{N_{200}}{20} \right)^{1.20 \pm 0.09} \left(\frac{L_{BCG}}{\bar{L}_{BCG}(N_{200})} \right)^{0.71 \pm 0.14}$$

Implications

- Evidence for effect from N-body simulations giving anticorrelation between L_{bcg} and N_{200} (formation time effect)
- Can use combined tracer for more optimal constraints on cosmology using optical cluster surveys

Lessons:

- Galaxy-galaxy lensing measurements can yield parameters that are directly useful for constraining theories of galaxy formation
- There is great promise for future advances in our understanding using this method in combination with others